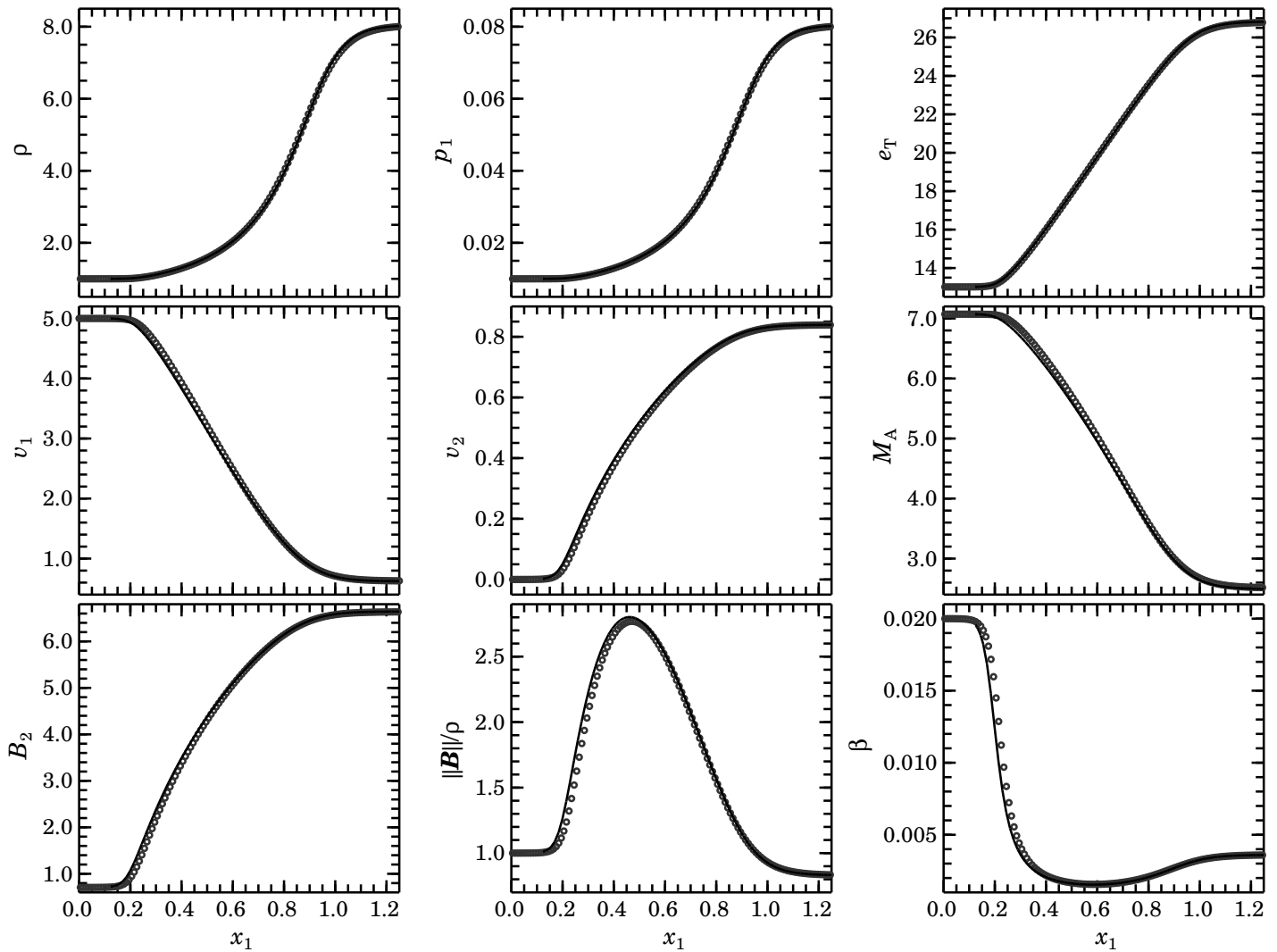


# ZEUS-3D 1-D Gallery #24: Isothermal C-shock with Ambipolar Diffusion



See the page for [the adiabatic C-shock](#) for a definition and reference for ambipolar diffusion (AD), and a discussion on sub-cycling and super-stepping.

In the panels, open circles represent the `dzeus36` solution for the isothermal AD-MHD shock tube problem with left state  $(\rho, v_1, v_2, v_3, B_2, B_3, p_1) = (1, 5, 0, 0, 1/\sqrt{2}, 0, 0.01)$ , right state  $(8.045, 0.621, 0.840, 0, 6.644, 0, 0.0804)$ ,  $B_1 = 1/\sqrt{2}$  and  $\gamma = 5/3$  at  $t = 4$ . `CMoC` is used with second order interpolation (`iord=2`), artificial viscous parameters `qcon=1`, `qlin=0.2`, Courant number `courno=0.75`, and super-stepping engaged (`iscyad=2`). The domain  $0 \leq x_1 \leq 1.5$  is resolved with 150 zones with only  $0 \leq x_1 \leq 1.25$  shown and, at  $t = 0$ , the discontinuity is at  $x_1 = 0.5$ . The units are not scale-free, and additional `dzeus36` parameters needed here are: `gammaad=1.0e6`, `mpnp=1.0`, `ionconst=1`, and `dscale=1.0e-5`.

The initial discontinuity launches numerous transients and, after  $\sim 1,400$  MHD cycles, the solution begins to converge to a steady state. The panels shown are after  $\sim 2,800$  MHD cycles and exhibit an isothermal *C-shock*, whose continuous nature is a direct consequence of AD.

Semi-analytical solutions generated within `dzeus36` using a sixth-order Runge-Kutta scheme are overlaid; differences between numerical and analytical solutions for no sub-cycling are less than 1% everywhere and in most places,  $< 0.1\%$ . With sub-cycling, errors can be as high as 2%.