

# MODEL PARAMETERS (4)

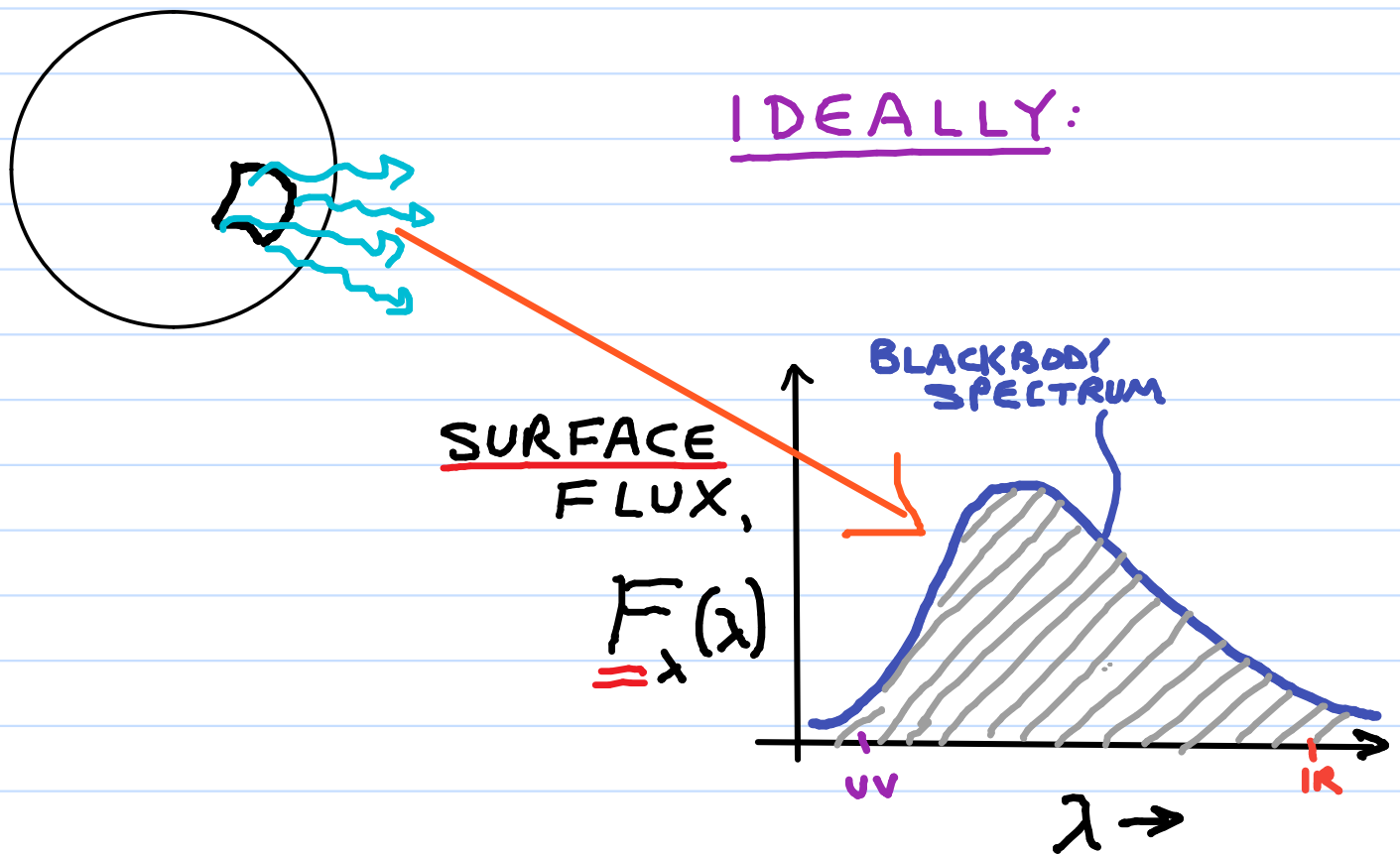
WHAT TYPE OF STAR?

DETERMINES STRUCTURE

1) EFFECTIVE TEMPERATURE,

$T_{\text{eff}}$  (K)

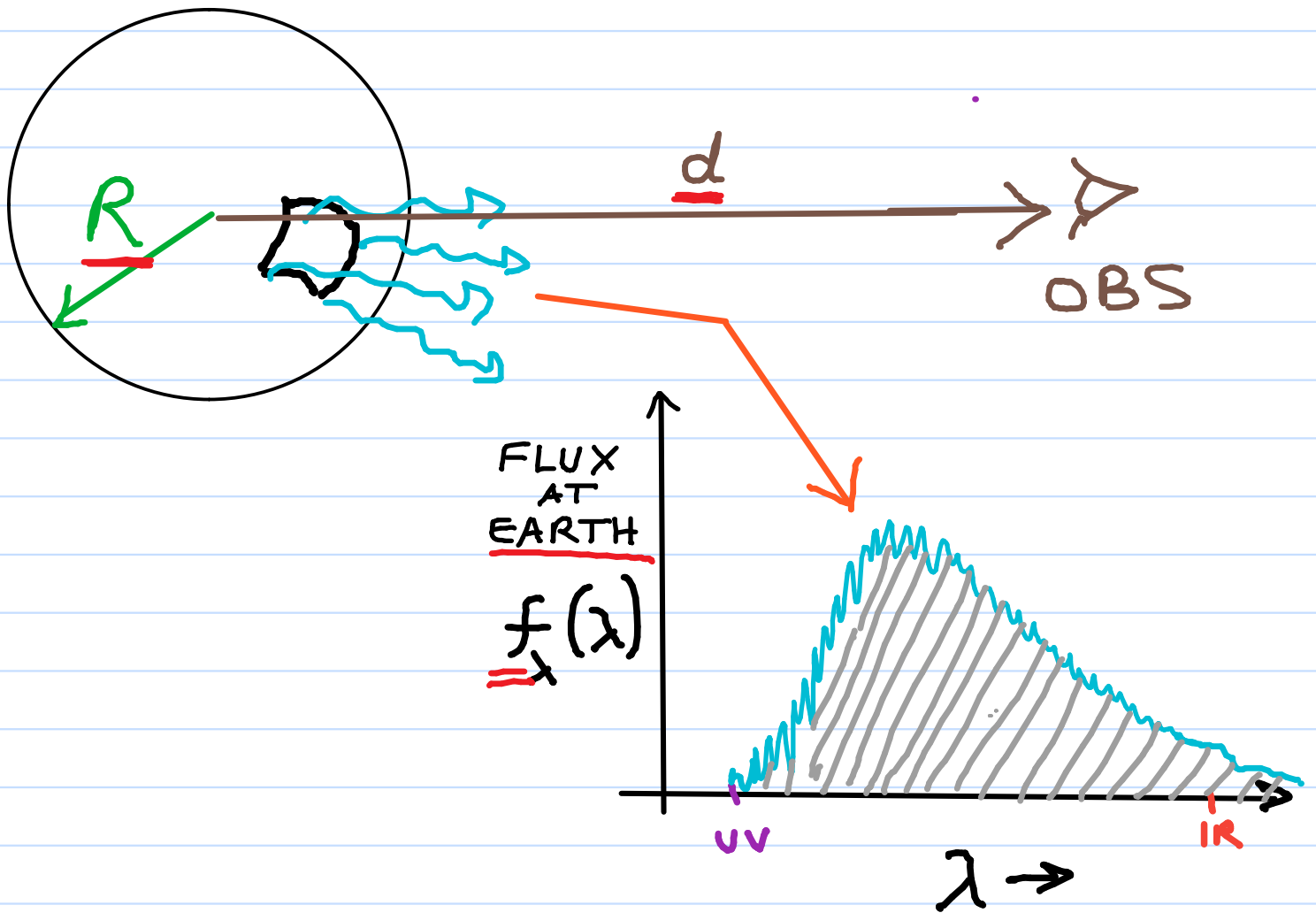
- EQUIVALENT SOLID SPHERICAL  
BLACKBODY SURFACE  
TEMPERATURE



BOLOMETRIC SURFACE  
FLUX,  $\bar{F}$  (ergs/s/cm<sup>2</sup>)

$$\bar{F} = \int_0^{\infty} F_{\lambda}(\lambda) d\lambda$$

# OBSERVATIONALLY:



BOLOMETRIC FLUX AT EARTH,  
 $f$  (ergs/s/cm<sup>2</sup>)

$$F = \int_0^{\infty} f_{\lambda}(\lambda) d\lambda$$

$$F = \frac{d^2}{R^2} f$$

STEFAN-BOLTZMANN LAW OF BB  
RADIATION

$$F = \sigma T_{\text{eff}}^4$$

$$\Rightarrow T_{\text{eff}} = \left( \frac{F}{\sigma} \right)^{1/4}$$

$$3200 < T_{\text{eff}} < 50000 \text{ K}$$

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M5 STAR

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O5 STAR

SUN:  $T_{\text{eff}} = 5800 \text{ K}$

- G2 V STAR

BROWN DWARFS (L, T, Y STARS):

$$1000 < T_{\text{eff}} < 3000 \text{ K}$$

2) SURFACE GRAVITY,

g (cm/s<sup>2</sup>, dynes/g)

$$-0.5 < \log_{10}(g) < 5.5$$

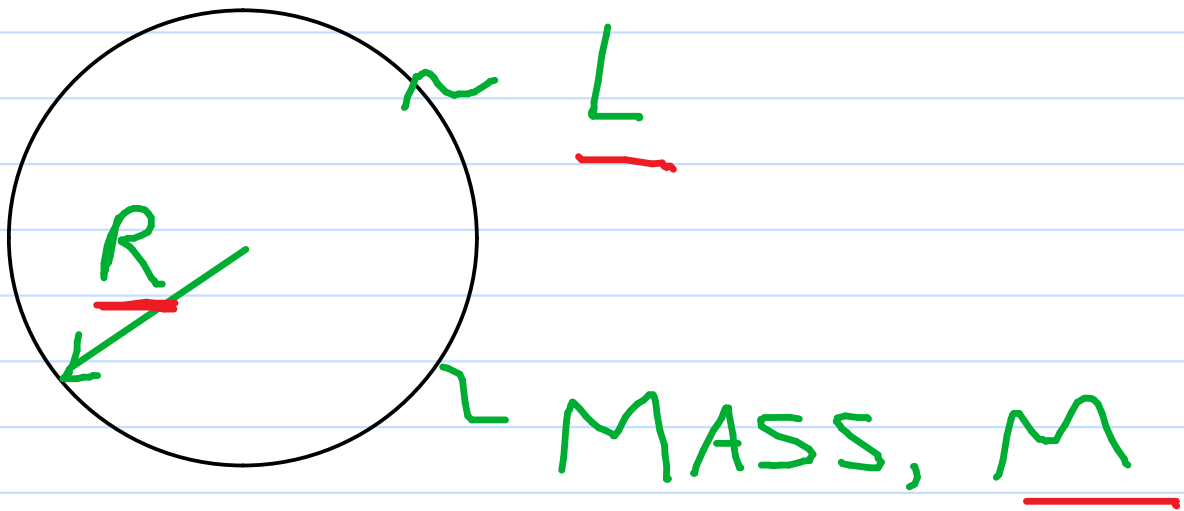
SUPERGIANTS  
(L CLASS III)

SUB-DWARFS  
(L. CLASS VI)

SUN:  $\log(g) = 4.44$   
(G2 V STAR)

WHITE DWARFS (WD):

$$7.0 < \log(g) < 8.5$$



$$g = \frac{GM}{R^2}$$

BOLOMETRIC LUMINOSITY,  $L$  (erg/s)

$$L = F \cdot 4\pi R^2$$
$$= \sigma T_{\text{eff}}^4 \cdot 4\pi R^2$$

BUT:

PLANE-|| MODEL

$$\therefore R = \infty \text{ (UNDEFINED)}$$

$$\therefore L \text{ UNDEFINED}$$

BUT,  $T_{\text{eff}}$ ,  $\log(g)$

ARE DEFINED!

### 3) CHEMICAL COMPOSITION ( "METALLICITY" )

GENERALLY, FOR STARS & ISM,  
BY NUMBER OF PARTICLES:

- H :  $\sim 92 \%$

He :  $\approx 7.8 \%$

"METALS" :  $\lesssim 0.2 \%$

- MOST ABUNDANT METALS:

O, C, N, Fe

INDEX ELEMENT BY ATOMIC  
NUMBER, Z

N<sub>Z</sub> = NO. DENSITY OF  
ELEMENT Z ( $\text{cm}^{-3}$ )

$$\underline{A}(Z) \equiv \frac{N_Z}{N_{\underline{H}}}$$

FOR DISK STARS (POP. I):

- FOR  $4 < Z < 28$ :  
Be Ni

$$10^{-9} < A(Z) < 10^{-3}$$

A<sub>12</sub> SYSTEM:

$$A_{\underline{12}}(z) \equiv \log_{\underline{10}}\left(\frac{N_z}{N_H}\right) + \underline{12}$$

FOR DISK STARS (POP. I):

- FOR  $4 < z < 28$ :

$$3 < A_{12}(z) < 9$$



"ABUNDANCE",  $\left[ \frac{A_z}{H} \right]$   
OF ELEMENT Z :

$$\left[ \frac{A_z}{A_H} \right] \equiv \log_{10} \left\{ \frac{\left( \frac{N_z}{N_H} \right)}{\left( \frac{N_z}{N_H} \right)} \right\}$$

$$= \log \left( \frac{N_z}{N_H} \right) - \log \left( \frac{N_z}{N_H} \right)$$

$$= A_{12}(z) - A_{12}(z)$$

$$\text{"METALLICITY"} \approx \left\langle \left[ \frac{A_z}{H} \right] \right\rangle$$

FOR SELECT ELEMENTS, Z

(Fe, Ti, Ca, Mg, Si, ...)

FOR DISK STARS (POP. I):

$$-2 < \left\langle \left[ \frac{A_z}{H} \right] \right\rangle < +0.3$$

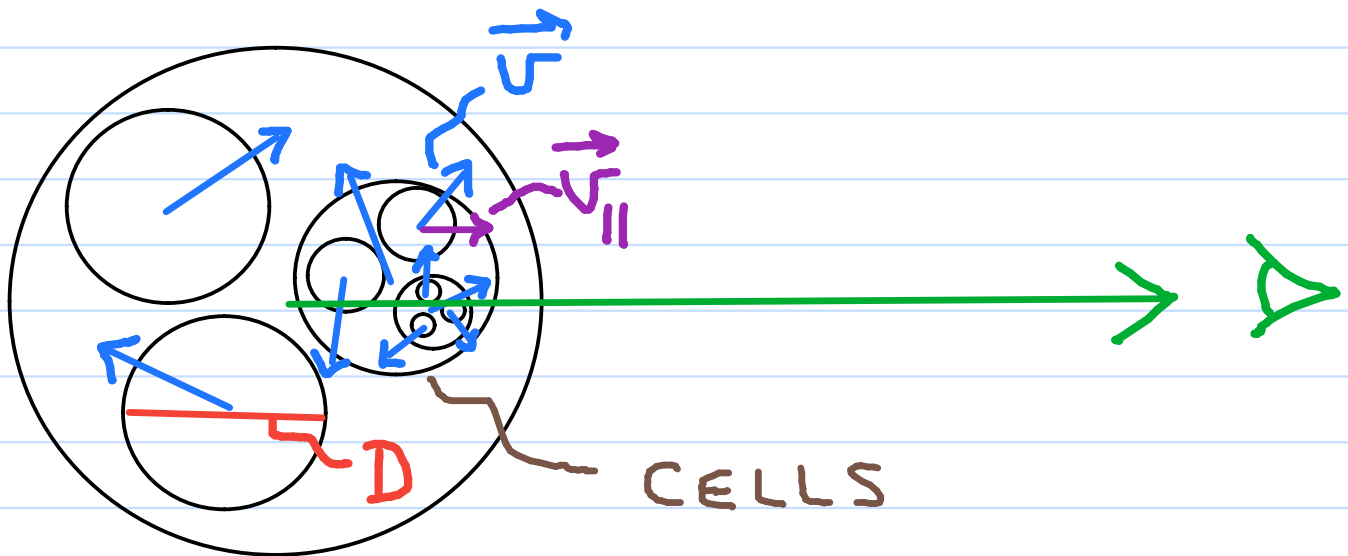
METAL-  
POOR

METAL-  
RICH

# 4) MICROTURBULENT

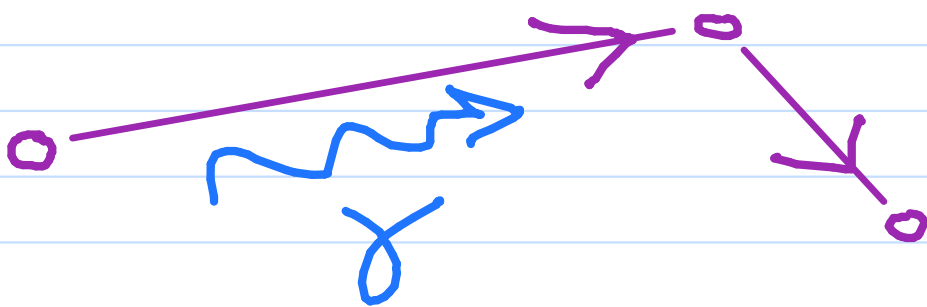
VELOCITY DISPERSION

$\epsilon_T$  ( $v_T$ ) (Km/s)



TURBULENCE IS HEIRARCHICAL

PHOTON MEAN FREE PATH,  $l_v$  (cm)

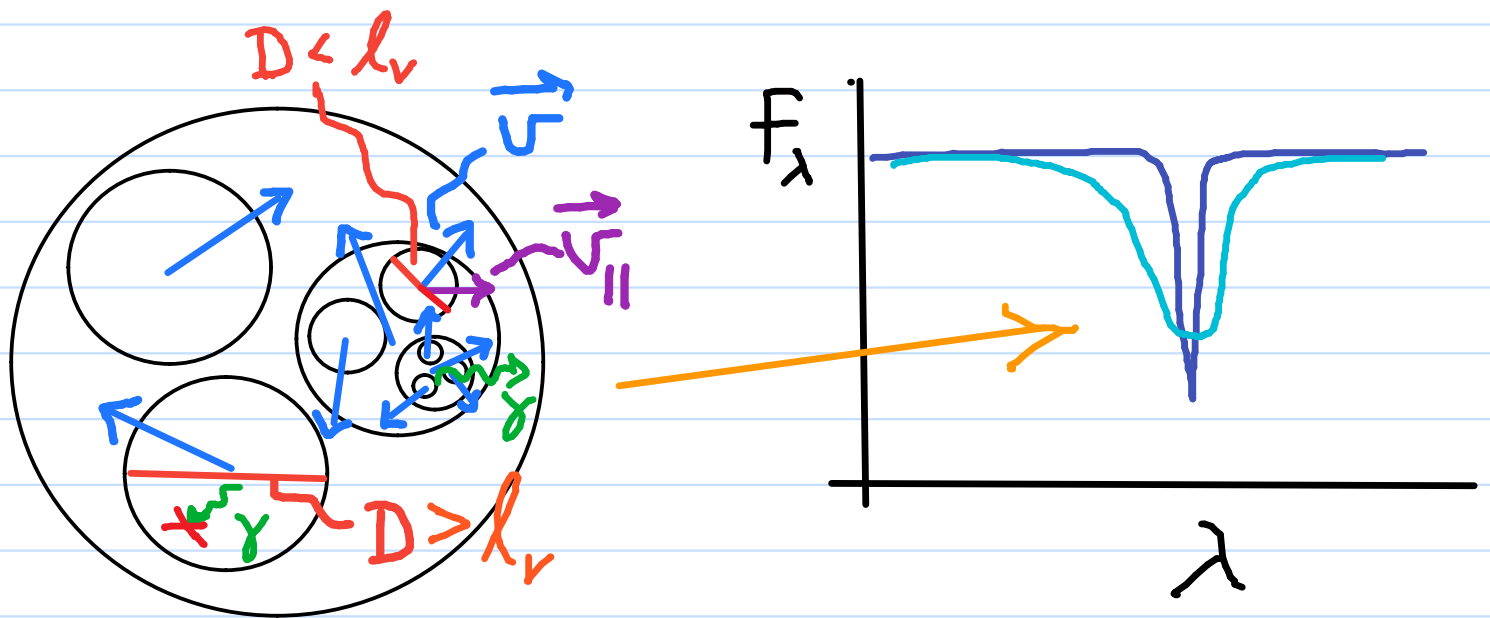


$D > l_v$ : MACROTURBULENCE

→ SHIFTS SPECTRAL LINES

$D < l_v$ : MICROTURBULENCE

→ BROADENS SPECTRAL LINES



MICROTURBULENT  
LINE BROADENING

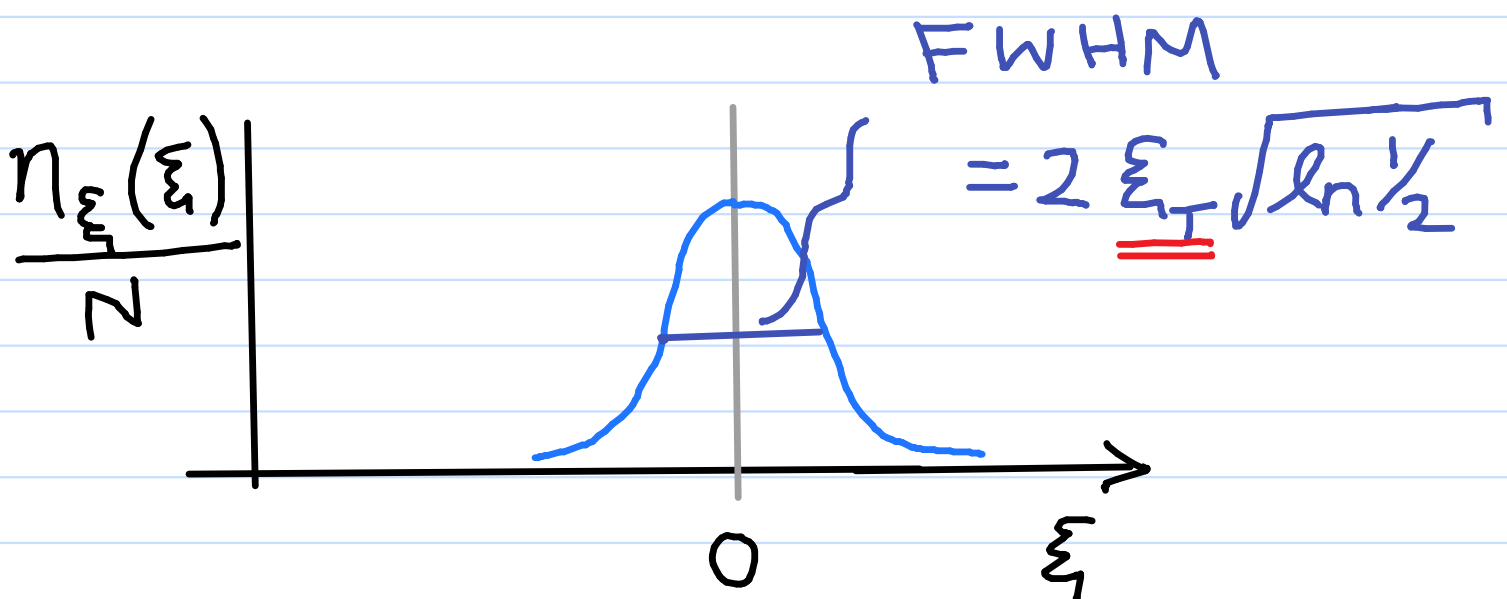
$N = \text{NO. MICROTURBULENT CELLS}$

$n_{\xi}(\xi) = \text{NO. CELLS WITH}$   
 $\text{LINE-OF-SIGHT VELOCITY, } \xi$

1D MAXWELL-BOLTZMANN (M-B)

$\xi$  DISTRIBUTION:

$$\frac{n_{\xi}(\xi)}{N} = \frac{1}{\sqrt{\pi} \underline{\xi_T}} e^{-\xi^2 / \underline{\xi_T}^2} d\xi$$



$$1 < \underline{v_T} < 8 \text{ Km/s}$$

SUN }  
SUPERGIANTS }